We have researched well via quandles in knot theory and surface knot theory. Using knot quandles and quandle cocycle invariants, we have studied some properties of surface links and classical links, for example, triple point number, triple point cancelling number, non-invertibility of surface links, chirality of classical links and so on. I plan to study surface links and others via quandles.

In [7] of the list of publications, I studied the w-indices of surface links via quandle cocycle invariants. Let  $\theta_p$  be a 3-cocycle of dihedral quandle of order p such that p is an odd prime integer. We denote the quandle cocycle invariants of a surface link F associated with  $\theta_p$  by  $\Phi_p(F)$ . In [7], it was proved that if  $\Phi_3(F)$  is non-trivial, then the w-index of F is at least 6. This bound is best possible since the w-index of 2-twist spun trefoil  $T_2$  is 6 and  $\Phi_3(T_2)$  is non-trivial. Similarly, I would like to determine such integer when quandle is dihedral quandle of order  $p \neq 3$ , tetrahedral quandle and so on.

In [17], the applicant and A. Ishii define quandle colorings by a finite quandle, new homology and cohomology theory and cocycle invariants. We plan to calculate homology groups and cohomology groups of quandles of lower order. We would like to consider properties of our invariants associated with trivial quandles. We would like to study handlebody-links with low crossings via our invariants. We also would like to consider how we define fundamental quandle of given handlebody-link.

In present, we often use dihedral quandle in our researches via quandles. Though T. Mochizuki gave 3-cocycles of some Alexander quandle, in general, it is so hard to construct 3-cocycles. As generalizations of dihedral quandles, we can consider Burnside keis (a kei is quandle with a certain property) and core quandles of Burnside groups. I would like to consider 3-cocycles of these quandles. These may be useful to study some properties of surface links.

I would like to define quandle cocycle invariants of singular surface links and study them. A singular surface link is a surface link with some transverse double points. As similar moves to Reidemeister moves for classical links, Roseman moves for surface links are known, i.e., two diagrams of same surface links are related to each other by some Roseman moves. Such moves have not been known for singular surface links. Thus, it is not easy to define quandle cocycle invariants through their diagrams. To start our program, I would like to study quandle cocycle invariants of singular surface braids. In the I. Hasegawa's doctor thesis, he researched state-sum invariants of surface braids via chart descriptions. Quandle cocycle invariants also can be defined as state-sum invariants, and we can reconstruct quandle cocycle invariants of surface links. We can apply its construction for singular surface braids, so we can define quandle cocycle invariants of them. Here, we remark that it is not known whether these invariants are for singular surface links. I would like to study properties of singular surface braids via quandle cocycle invariants of them.

In [5] of the list of publications, I proved that crossing changes for singular surface braids are unknotting operations. Thus, we can define unknotting numbers and triple point cancelling numbers of them associated with crossing changes, I would like to research whether quandle cocycle invariants give lower bound of them as given in [3] of the list of publications.